# Gaussian Material Synthesis

KÁROLY ZSOLNAI-FEHÉR, TU Wien PETER WONKA, KAUST

MICHAEL WIMMER, TU Wien

ACM Transactions on Graphics, Publication date: August 2018

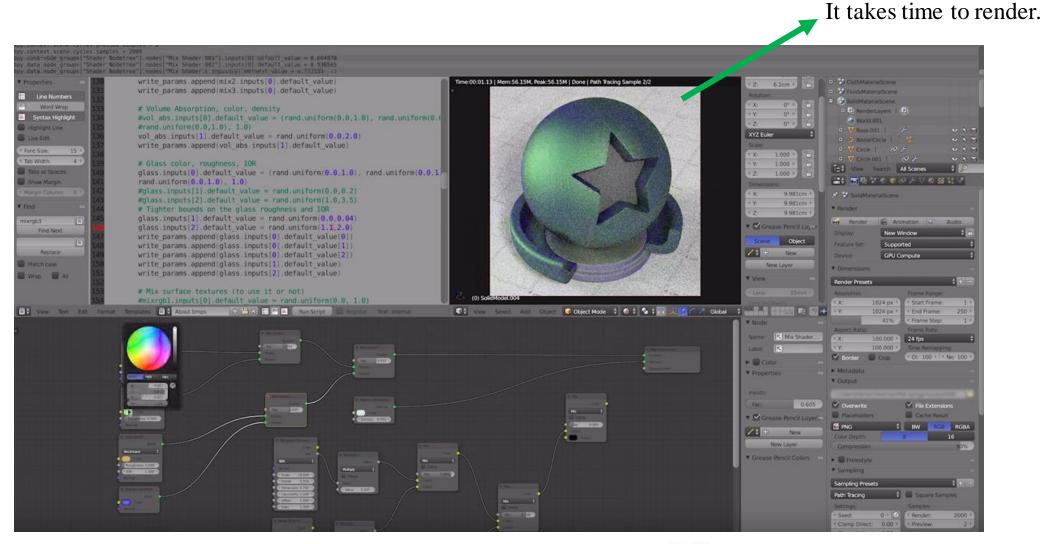
Presenter: MinKu Kang

# Material Synthesis



a scene with metals and minerals, translucent, glittery and glassy materials more than a hundred synthesized materials and objects for the vegetation of the planet

#### Manual Material Synthesis is Labor-intensive

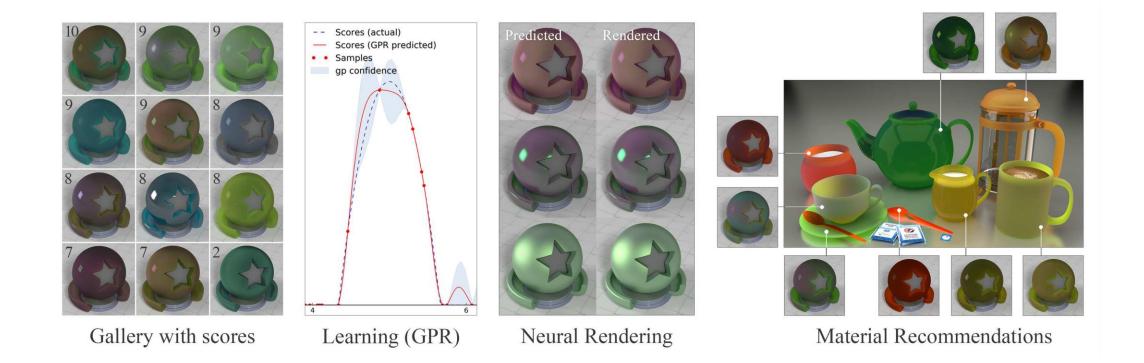


It might be a well fit for an expert, but ...

 $\mathbf{x}_i \in \mathbb{R}^m$  Many parameters to tune.

From Authors Video: https://www.youtube.com/watch?v=6FzVhIV\_t3s

#### Overview



- Rapid mass-scale material synthesis for **novice** and expert users.
- This method takes a set of user **preferences** as an input.
- It **recommends** relevant new materials from the learned distributions.

## Stage 1: A User Scores a Gallery



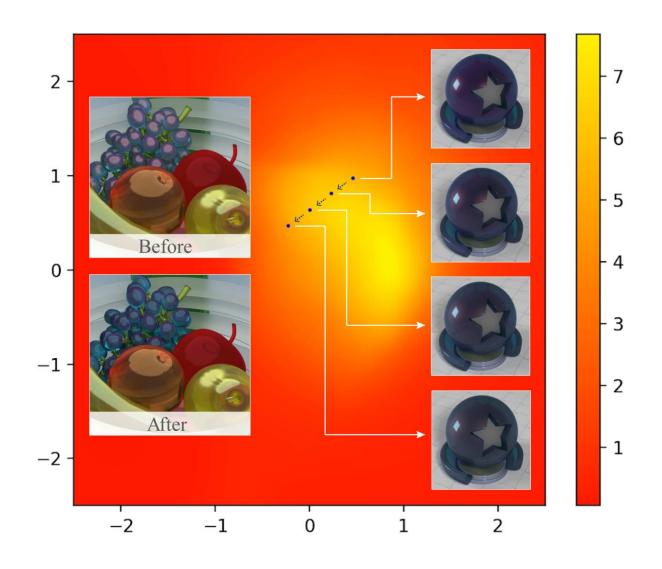




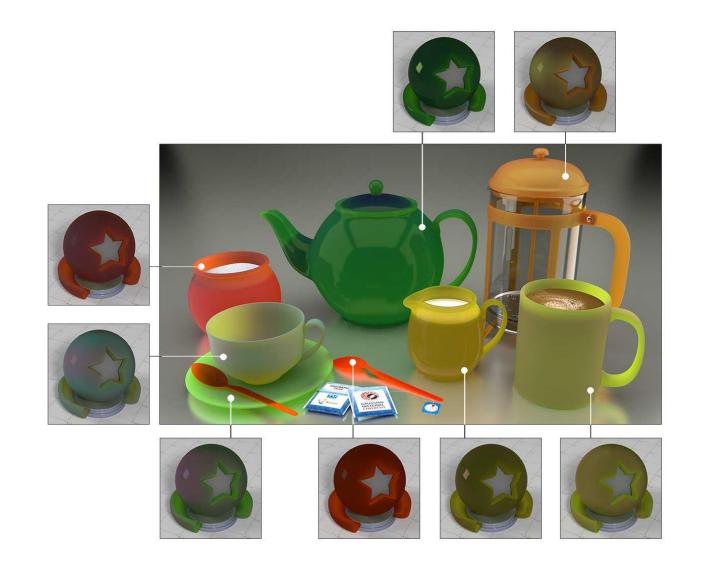
#### Stage 2: Recommendations are Generated



#### (Optional) Stage 3: Fine-searching in Latent Space



Stage 4: Applying materials to a Scene



#### **Notations**

Symbol	Description	Туре
x	BSDF description	Vector
$u^*(\mathbf{x})$	Preference function (Ground truth)	Scalar
$u(\mathbf{x})$	Preference function (GPR prediction)	Scalar
n	Number of GPR samples	Scalar
$\mathbf{x}^*$	Unknown BSDF test input	Vector

$$\mathbf{x}_i \in \mathbb{R}^m$$

A parameter space similar to Disney's **principled shader** that comes in two versions:

- m = 19 variant spans the most commonly used materials, i.e., a combination of diffuse, specular, glossy, transparent and translucent materials
- m = 38 version additionally supports procedurally textured albedos and displacements

# Gaussian Process Regression (GPR)

$$k(\mathbf{x}, \mathbf{x'}) = \sigma_f^2 \exp \left[ -\frac{(\mathbf{x} - \mathbf{x'})^2}{2l^2} \right] + \beta^{-1} \delta_{xx'}$$

$$\mathbf{K} = \begin{bmatrix} k(\mathbf{x}_1, \mathbf{x}_1) & k(\mathbf{x}_1, \mathbf{x}_2) & \dots & k(\mathbf{x}_1, \mathbf{x}_n) \\ k(\mathbf{x}_2, \mathbf{x}_1) & k(\mathbf{x}_2, \mathbf{x}_2) & \dots & k(\mathbf{x}_2, \mathbf{x}_n) \\ \vdots & \vdots & \ddots & \vdots \\ k(\mathbf{x}_n, \mathbf{x}_1) & k(\mathbf{x}_n, \mathbf{x}_2) & \dots & k(\mathbf{x}_n, \mathbf{x}_n) \end{bmatrix}$$

$$\mathbf{k}_* = \left[k(\mathbf{x}^*, x_1), k(\mathbf{x}^*, x_2), \dots, k(\mathbf{x}^*, x_n)\right]^T$$

Kernel function, Kernel matrix **Joint** distribution over scores

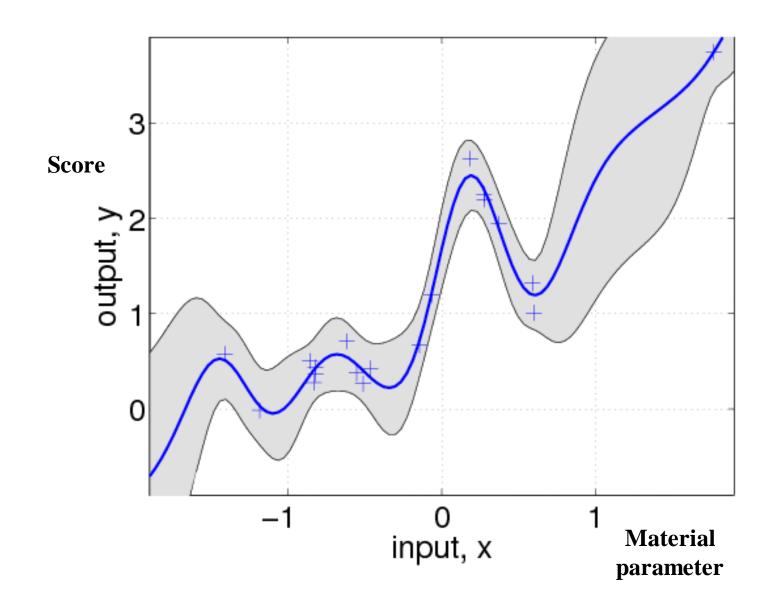
$$\begin{bmatrix} \mathbf{U} \\ u(\mathbf{x}^*) \end{bmatrix} \sim \mathcal{N} \left( 0, \begin{bmatrix} \mathbf{K} & \mathbf{k}_*^T \\ \mathbf{k}_* & k_{**} \end{bmatrix} \right)$$

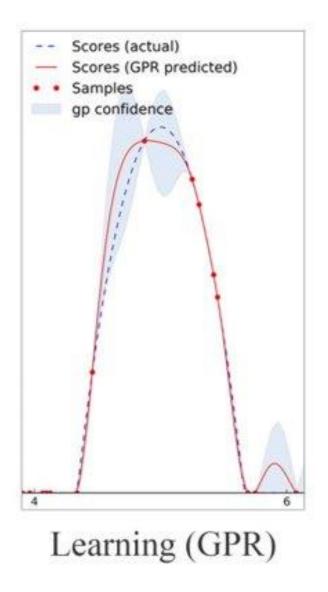
Conditional distribution over scores given observations

$$P(u(\mathbf{x}^*) | \mathbf{U})$$
test input observations

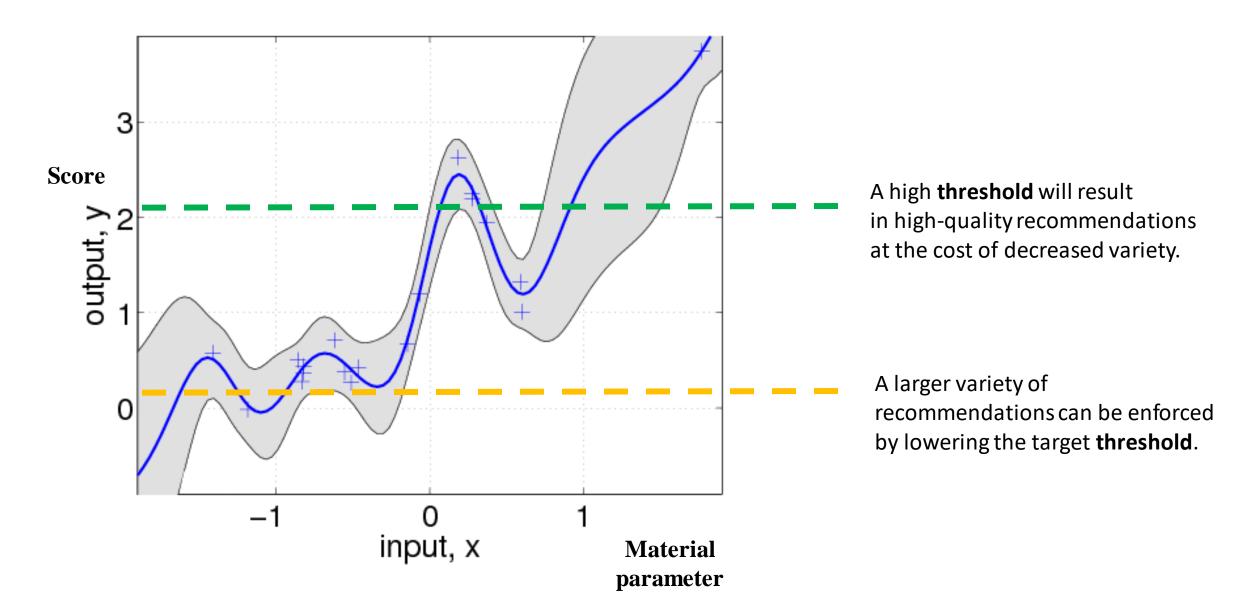
$$u(\mathbf{x}^*) = \mathbf{k}_*^T \mathbf{K}^{-1} \mathbf{U},$$
  
$$\sigma(u(\mathbf{x}^*)) = k_{**} - \mathbf{k}_* \mathbf{K}^{-1} \mathbf{k}_*^T$$

# Gaussian Process Regression (GPR)

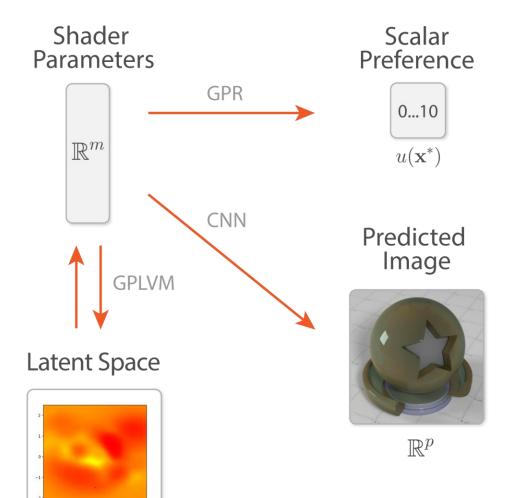




## Generating Recommendations



#### System Overview



 $\mathbb{R}^l$ 

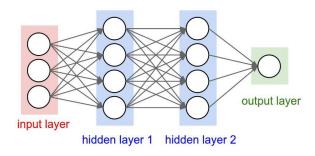
- 1. **GPR** is used to learn the user-specified material preferences
- 2. The system **recommends** new **materials** with **visualization**

3. Optionally, GPLVM can be used to provide an intuitive 2D space for variant generation.

#### Why GPR over other methods?

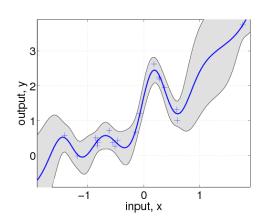
# observations is quite small (= # material-score pairs labeled by the user), which is in the order of a few of tens.

#### **Parametric Model**



Data is absobed into the weights: new prediction is affected by the estimated parameter. It requires many samples for an accurate parameter estimation

#### **Non-parametric Model**



'Let the data speaks'
: new prediction is
highly affected by the
past observations

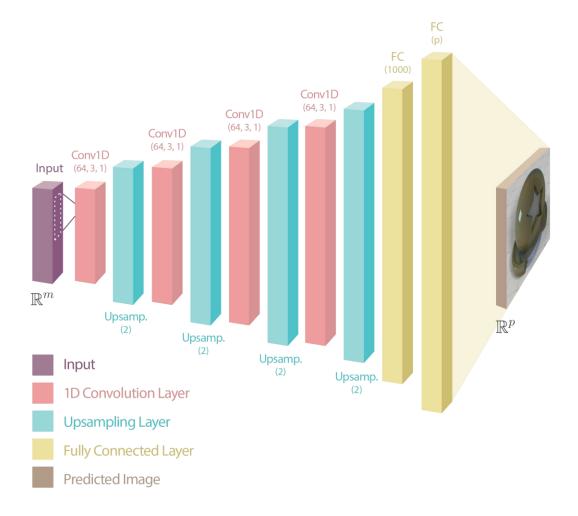
$$\mathbf{K} = \begin{bmatrix} k(\mathbf{x}_1, \mathbf{x}_1) & k(\mathbf{x}_1, \mathbf{x}_2) & \dots & k(\mathbf{x}_1, \mathbf{x}_n) \\ k(\mathbf{x}_2, \mathbf{x}_1) & k(\mathbf{x}_2, \mathbf{x}_2) & \dots & k(\mathbf{x}_2, \mathbf{x}_n) \\ \vdots & \vdots & \ddots & \vdots \\ k(\mathbf{x}_n, \mathbf{x}_1) & k(\mathbf{x}_n, \mathbf{x}_2) & \dots & k(\mathbf{x}_n, \mathbf{x}_n) \end{bmatrix}^T$$

$$\mathbf{k}_* = \begin{bmatrix} k(\mathbf{x}^*, \mathbf{x}_1), k(\mathbf{x}^*, \mathbf{x}_2), \dots, k(\mathbf{x}^*, \mathbf{x}_n) \end{bmatrix}^T$$

$$u(\mathbf{x}^*) = \mathbf{k}_*^T \mathbf{K}^{-1} \mathbf{U},$$

$$\sigma(u(\mathbf{x}^*)) = k_{**} - \mathbf{k}_* \mathbf{K}^{-1} \mathbf{k}_*^T$$

## Neural Networks and Rendering



This architecture is similar to the decoder part of Convolutional Autoencoders

$$\phi \colon \mathbb{R}^m \to \mathbb{R}^p$$

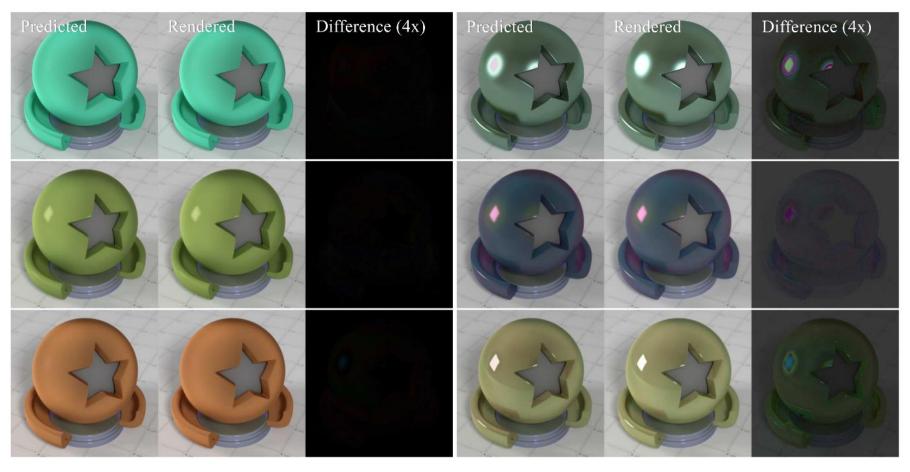
An atypical setting where the input shader dimensionality is orders of magnitude smaller than the output

m: order of tens p: 410 by 410

Training set: 45000 shader-image pairs (250 spp)
Training time: over 4 weeks on a consumer system

with a NVIDIA GeForce GTX TITAN X GPU

## Neural Networks and Rendering

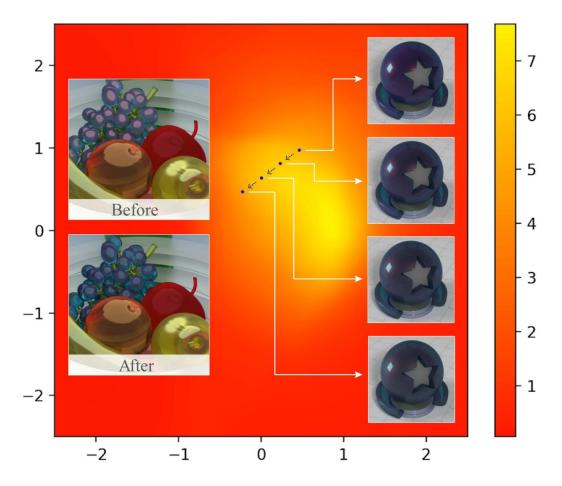


**Best**-case prediction

~ 3 ms ~ 60 sec. (GI)

**Worst**-case prediction

#### Latent Space Exploration



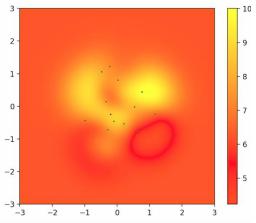
Low-dimensional latent space (m=2), with color representing score. GPLVM (Gaussian Process Latent Variable Model)

A few tens of high-scoring materials from the gallery are embedded into the low-dimensional latent space.

$$\mathbf{X} = \begin{bmatrix} \cdots \mathbf{x}_i \cdots \end{bmatrix}^T \text{ with } \mathbf{x}_i \in \mathbb{R}^m$$

$$\mathbf{L} = \begin{bmatrix} \cdots \mathbf{l}_i \cdots \end{bmatrix}^T \text{ with } \mathbf{l}_i \in \mathbb{R}^l$$

$$m \gg l$$



#### Resultant Materials (fine-tuned)







#### Resultant Materials (Application to Scenes)





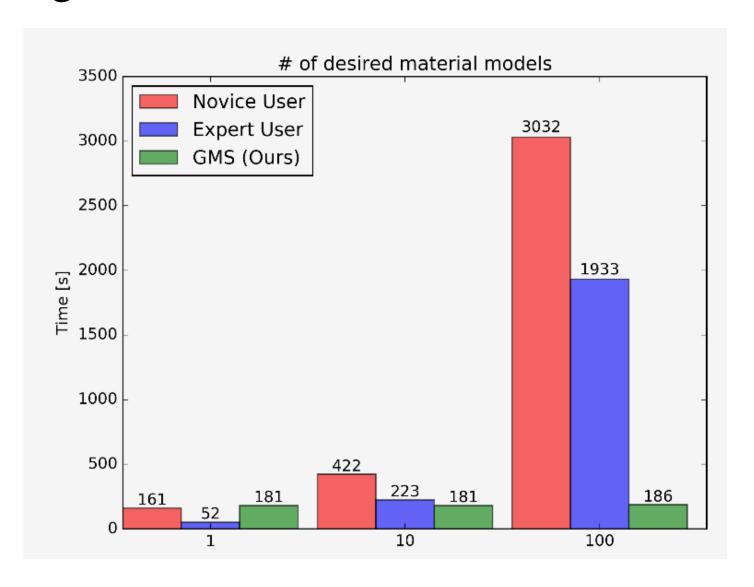




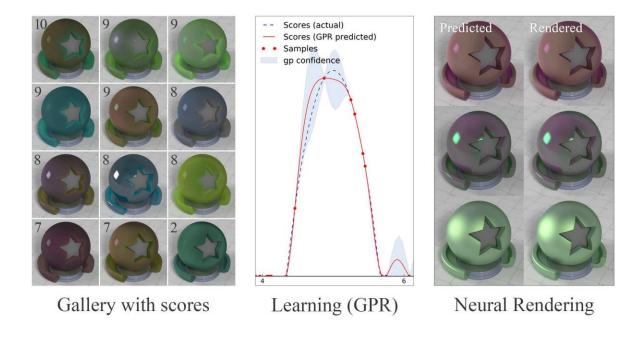




#### Time taken to generate similar materials



#### Summary



**Module 1:** GPR for recommendations

Module 2: Inflated CNN for Neural Rendering

**Module 3:** Latent Space for Fine-Tuning

